

Questions and connectives

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2 The tripartition analysis

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Connectives

- The three basic connectives **and**, **or**, **if** map two propositions to one
 - (1) a. it's (both) raining and snowing
 - b. it's (either) raining or snowing
 - c. if it's raining (then) it's snowing
- (2) a. $\llbracket \text{and} \rrbracket(p)(q) = p \wedge q$
- b. $\llbracket \text{or} \rrbracket(p)(q) = p \vee q$
- c. $\llbracket \text{if} \rrbracket(p)(q) = p \rightarrow q$

Stalnaker (1968); Lewis (1973); Kratzer (1986)

The if-puzzle

- **if** can connect a proposition with a question, while **and** and **or** cannot

(3) a. if it's raining (then) will John come?
b. #it's (both) raining and will John come?
c. #it's (either) raining or will John come?

Goal

- We will propose an analysis which
 - resolves the if-puzzle
 - maintains that **if** is propositional in both arguments

Note

We will discuss polar questions but the account generalizes to constituent questions, as you will see

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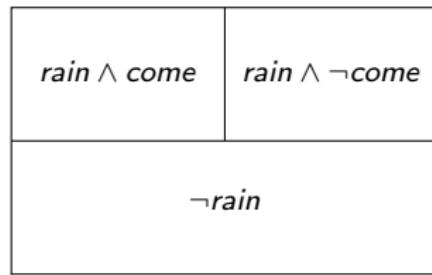
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The cells

- CQs partition the context set into three cells

(4) if it's raining will John come?



Groenendijk and Stokhof (1997)

Advantages

$rain \wedge come$	$rain \wedge \neg come$
$\neg rain$	

- The denial of the antecedent is predicted to be an answer

(5) A: If it's raining, will John come?
B: It's not going to rain.

Disadvantages

$rain \wedge come$	$rain \wedge \neg come$
$\neg rain$	

- The account over- and undergenerates

(6) If it's raining, will John come?

- #It's raining and John will come.
- If it's raining, John will not come.
- No.

→ predicted ✓
 → predicted ✗
 → predicted ✗

- It's not clear what makes **if** different from **and/or**

Velissaratou (2000)

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Two-step interpretation

- Asking a conditional question is asking a question in a updated local context

(7) $c+$ if $[_p \text{ it's raining}] [q \text{ will John come}]$

(i) update c with p

→ resulting in $c' = c \cap \{w \mid \text{it's raining in } w\}$

(ii) update the output of (i) with q

→ resulting in a partition of c'

Isaacs and Rawlins (2008); Krifka (2019); Bledin and Rawlins (2019)

Advantages

- Denying the antecedent feels similar in both cases: stating that the first update is unrealistic
 - (8) A: If it's raining, John will not come.
B: It's not going to rain.
 - (9) A: If it's raining, will John come?
B: It's not going to rain.
- Facts about presupposition projection seem to confirm that p is the local context of q
 - (10) a. Is the king of France bald? \rightsquigarrow France has a king
b. If France is a monarchy, is the king of France bald? \rightsquigarrow T

Disadvantages

- It's not clear why **and** and **or** cannot embed questions

(11) a. France is (both) a monarchy and the KoF is bald $\rightsquigarrow \top$
b. #It's (both) raining and will John come?

(12) a. France is (either) not a monarchy or the KoF is bald $\rightsquigarrow \top$
b. #it's (either) not raining or will John come?

Karttunen (1973); Heim (1990)

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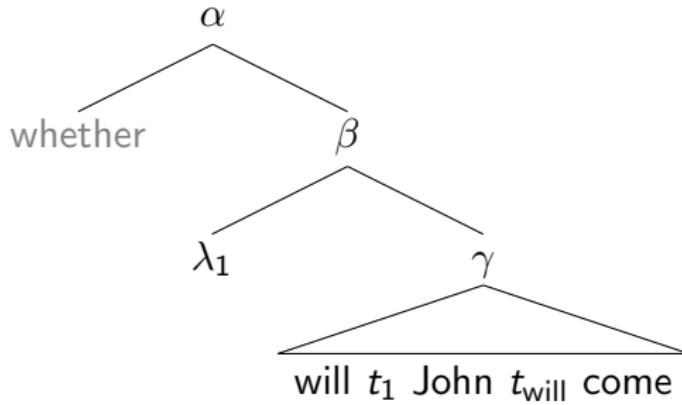
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Polar questions: syntax

- Matrix polar questions contain a covert **whether** which moves to [Spec,C], leaving a trace and creating a λ -abstract

(13) a. will John come?

b.

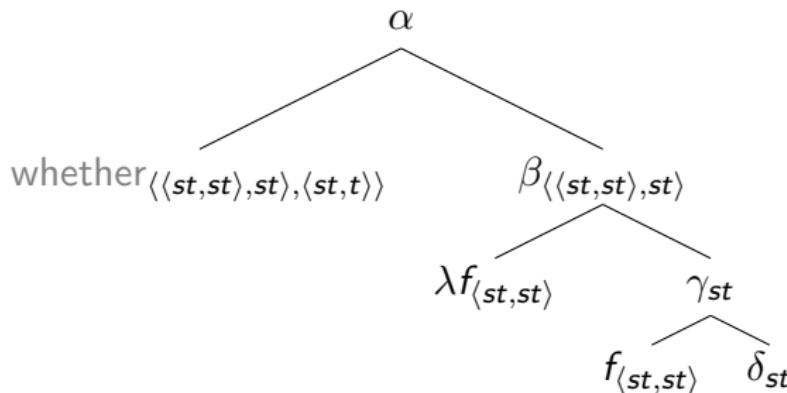


Bennett (1977); Higginbotham (1993); Krifka (2001); Guerzoni (2004)

Polar questions: semantics

- Definition: $pol(f)$ iff f is *yes* ($\lambda p.p$) or *no* ($\lambda p.\neg p$)

(14)



- $\llbracket \text{whether} \rrbracket = \lambda Q_{\langle \langle st, st \rangle, st \rangle} \cdot \lambda p_{st} \cdot \exists f_{\langle st, st \rangle} \cdot pol(f) \wedge p = Q(f)$
- $\llbracket \beta \rrbracket = \lambda f \cdot f(\llbracket \delta \rrbracket)$
- $\llbracket \alpha \rrbracket = \lambda p \cdot \exists f \cdot pol(f) \wedge p = \llbracket \beta \rrbracket(f) = \{ \llbracket \delta \rrbracket, \neg \llbracket \delta \rrbracket \}$

Conditional questions

- CQs are just polar questions whose prejacent is a conditional
 - (15) a. if it's raining, will John come
 - b. $[\alpha \text{ whether } \lambda_1 [[\text{if it's raining}] [\text{will } t_1 \text{ John } t_{\text{will}} \text{ come}]]]$
 - c. $\llbracket \alpha \rrbracket = \{\text{rain } \squarerightarrow \text{John comes}, \text{rain } \squarerightarrow \neg\text{John comes}\}$
- Movement of **whether** violates no locality constraints because the if-clause is a subordinate clause
 - (16) that's the movie which [[if it's raining] I would watch t]

The CSC

- Wh-movement out of a co-ordinate clause is not possible

(17) a. *that's the movie which [[it was raining] and [I watched *t*]]

b. *that's the movie which [[I read the book] or [I watched *t*]]

Ross (1967)

Resolution of the if-puzzle

- **and/or** cannot embed questions because either type mismatch would result or a violation of CSC is incurred

(18) it's raining and will John come?

- a. *[_{st} it's raining] and [_{st,t} whether will *t* John *t_{will}* come]]
- b. *[whether [_{st} it's raining] and [_{st} will *t* John *t_{will}* come]]]

→ similarly for **or**

Prediction: answers

- We predict the correct pattern of answers

(19) If it's raining, will John come?

- Yes.
- No.
- If it's raining John will not come.
- #It's raining and John will not come (= irrelevant)
- It's not going to rain. (= deflecting)

Prediction: presuppositional effects

- Movement out of α gives rise to deviance if α is presupposed

(20) a. what do you think $[\alpha \text{ John saw } t]$

b. #what do you know $[\alpha \text{ John saw } t]$

(21) a. whether [if it's raining $[\alpha \text{ will } t_1 \text{ John } t_{\text{will}} \text{ come}]$]

b. #whether [because it's raining $[\alpha \text{ will } t_1 \text{ John } t_{\text{will}} \text{ come}]$]

Prediction: constituent questions

- The account we propose should generalize to constituent questions

(22) a. if it's raining who will come?
 b. #it's (both) raining and who will come?
 c. #it's (either) raining or who will come?

(23) a. $\llbracket \text{whether} \rrbracket = \lambda Q_{\langle \langle st, st \rangle, st \rangle}. \lambda p_{st}. \exists f_{st, st}. \text{pol}(f) \wedge p = Q(f)$
 b. $\llbracket \text{who} \rrbracket = \lambda P_{\langle e, st \rangle}. \lambda p_{st}. \exists x_e. \text{person}(x) \wedge p = P(x)$

(24) a. who λx [if it's raining $[t_x$ will come]]
 b. {rain \rightarrow John comes, rain \rightarrow Mary comes,...}

(25) a. *who λx [[it's raining] and $[t_x$ will come]]
 b. {rain \wedge John comes, rain \wedge Mary comes,...}

Prediction: ordering

- Ordering of the clauses should not matter

(26) a. will John come if it's raining?

b. #will John come and it's raining?

c. #will John come or it's raining?

(27) a. who will come if it's raining?

b. #who will come and it's raining?

c. #who will come or it's raining?

Prediction: ATB movement (and)

- It is possible for **whether** to move out of both co-ordinate clauses

(28) is it raining and will John come?

a. whether [[is t_1 it t_{is} raining] and [α will t_1 John t_{will} come]]

b. {rain \wedge John comes, \neg rain \wedge \neg John comes}

- The readings of 'yes' and 'no' seem to confirm the analysis

(29) Is it raining and will John come?

a. Yes. \rightarrow it's raining and John will come

b. No. \rightarrow it's not raining and John won't come

Problem: ATB movement (or)

- We incorrectly predict (30a) to be possible and thus (30b) to be available

(30) is it raining or will John come?

a. whether [[is t_1 it t_{is} raining] or [α will t_1 John t_{will} come]]

b. {rain \vee John comes, \neg rain \vee \neg John comes}

- the reading seems to be (31) instead

(31) {rain, John comes}

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Conclusion

- All three connectives **and**, **or**, **if** are propositional
- Matrix polar questions contain a silent **whether** which undergoes regular \bar{A} -movement
- If-clauses are subordinate while conjuncts and disjuncts are co-ordinate

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